





# Automotive Fuel Demand in Brazil: Consumer Choice and Asymmetric Price Response

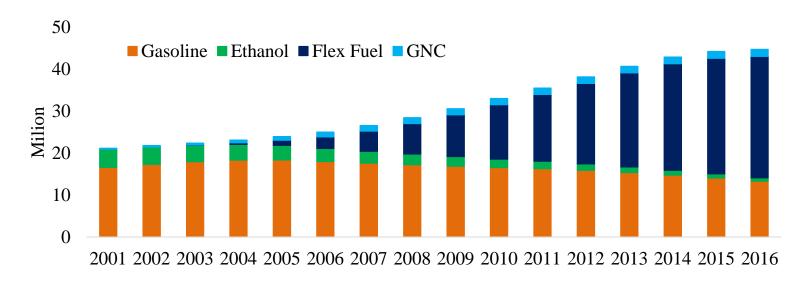
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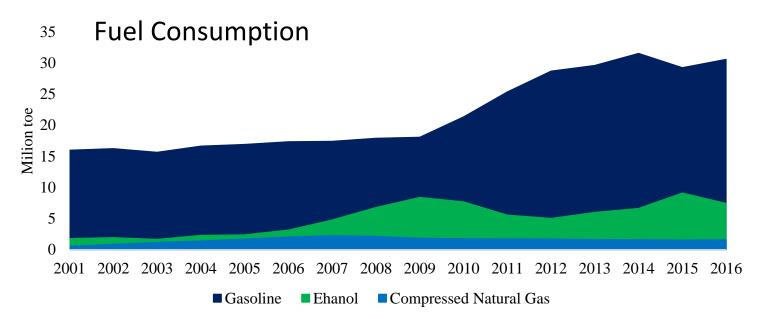
- In Brazil the Otto-cycle segment (light passenger and cargo vehicles) is powered by Gasoline C (Anhydrous Ethanol blends on Gasoline A), Hydrous Ethanol and Compressed Natural Gas (CNG)
- The Flex-Fuel technology was implemented in Brazil on a commercial scale in March 2003
- Flex-Fuel Vehicles has changed the dynamics of competition between fuels – gasoline and ethanol
- Hydrous Ethanol has approximately 70% of the calorific value of Gasoline C
- oFlex-Fuel Vehicles represent over 95% of new vehicles sold in Brazil



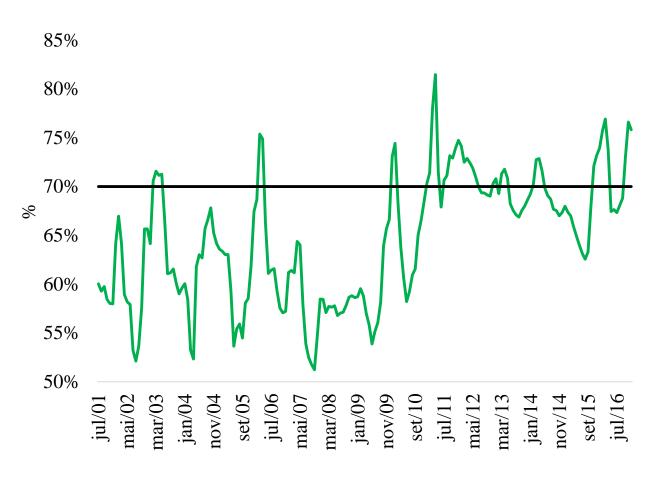
- CNG consumers have to install a kit which allows them to convert their vehicles between CNG as well as the original engine fuel
- CNG has a relatively minor share of the market 5% overall
- Refinery capacity has not increased at the same pace of fuel consumption - gasoline imports reached 9.4 billion of liters in 2013

#### Share of vehicles by type of fuel in the Brazilian fleet of light vehicles





Comparison of the real prices (Brazilian averages) of Hydrous Ethanol and Gasoline C ratio





 Technical progress and the Underlying Energy Demand Trend (UEDT)

Energy is a derived demand

Models need to account for:

- Technical Progress (TP) / Efficiency Improvements
- Asymmetric Price Response
   Price Elasticities (short-run and long-run)

#### Goal

- To study the determinants of vehicle fuel demand in Brazil
- To study if Underlying Demand Energy Trend (UDET) and asymmetric price responses (APR) has a role in modeling the demand for automotive fuel in Brazil

#### Harvey's Structural Time Series Model (STSM)

Autoregressive distributed lag model (ARDL) follows this specification:

$$A_{i}(L)e_{i,t} = \mu_{i,t} + B_{i}(L)p_{i,t} + C_{i}(L)y_{t} + D_{i}(L)f_{i,k,t} + S_{i}(L)\gamma_{t} + \varepsilon_{t}^{i} \qquad (1)$$

$$\varepsilon_{t}^{i} \sim IID(0, \sigma_{\varepsilon}^{2})$$

$$\mu_{i,t} = \mu_{t-1}^{i} + \beta_{t-1}^{i} + \eta_{t}^{i}; \qquad \qquad \eta_{t}^{i} \sim IID(0, \sigma_{\eta}^{2})$$

$$\beta_{t}^{i} = \beta_{t-1}^{i} + \xi_{t}^{i}; \qquad \qquad \xi_{t}^{i} \sim IID(0, \sigma_{\xi}^{2})$$

$$S_{i}(L)\gamma_{t} = \omega_{t}^{i}; \qquad \qquad \omega_{t} \sim IID(0, \sigma_{\omega}^{2})$$

The trend component or UEDT, µt, follows a stochastic process

e – fuel demand

i = gasoline C, ethanol and CNG

p – fuel price

*y*-Income

f-Fleet

 $A_i, B_i, C_i, D_i$  and  $S_i$  are polynomial lag operators

Estimates are obtained by maximum likelihood in conjunction with a Kalman filter using STAMP 8.3

Equation (1) assumes asymmetric price response (APR):

$$p_{i,t} = p_{i,rise,t} + p_{i,cut,t}$$

 $p_{i,rise,t}$  is the cumulative rise in the log of prices

 $p_{i,cut,t}$  is the cumulative decreases in the log of prices



#### **Unrestricted Model**

$$A(L) = TIDE + B^{cres}(L)p_{cres} + B^{cor}(L)p_{cor} + C(L)y + D(L)f + S(L)\gamma + \varepsilon$$

#### **Restricted Model**

Test 1:  $H_0$ :  $\sigma_{\eta}^2 = 0$  e  $\sigma_{\xi}^2 = 0$ 

Test 1.1:  $H_0$ :  $\sigma_{\eta}^2 = 0$  e  $\sigma_{\xi}^2 \neq 0$ 

Test 1.2:  $H_0$ :  $\sigma_{\eta}^2 \neq 0$  e  $\sigma_{\xi}^2 = 0$ 

 $A(L) = \mu + B^{cres}(L)p_{cres} + B^{cor}(L)p_{cor} + C(L)y + D(L)f + S(L)\gamma + \varepsilon$ 

Test 2:  $H_0$ :  $B^{cres}(L) = B^{cor}(L) = B(L)$ 

$$F(L) = TIDE + G(L)p + H(L)y + I(L)f + J(L)\gamma + \varepsilon$$

Test 3:  $H_0$ :  $\sigma_{\omega}^2 = 0$ 



The model for the analysis of the effect of Flex-Fuel vehicles:

#### **Time Varying Parameter (TVP) Models**

$$F_{i}(L)e_{i,t} = \mu_{i,t} + \lambda_{i,t}^{1}(L)p_{i,max,t} + \lambda_{i,t}^{2}(L)p_{i,rec,t} + \lambda_{i,t}^{3}(L)p_{i,cut,t} + H_{i}(L)y_{t} + I_{i}(L)f_{kt} + J_{i}(L)\gamma_{it} + \varepsilon_{i,t}$$

#### State Equation:

$$\lambda_{i,t}^{n} = \lambda_{i,t-1}^{n} + \nu_{i,t}$$
;  $n = 1,2 e 3$ 

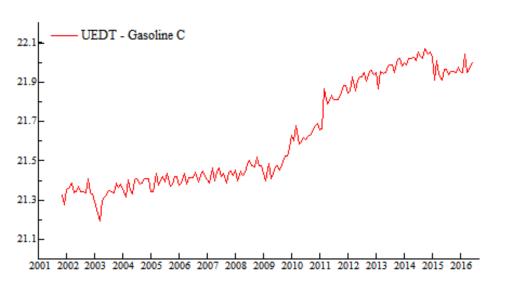
 $\lambda_{i,t}^n$  is the parameter of the prices

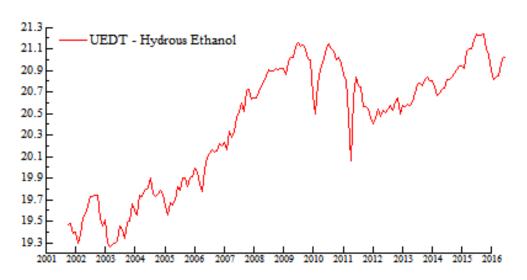
### DATA

Variable		Source
Consumption	Toe	ANP e Abegás
Price	R\$/toe	ANP
Fleet	-	DENATRAN, ANFAVEA e IBP
Price Index	% a.m.	IBGE/SNIPC
(2001.1=100)		

The fleet was calculated with a Gompertz type vehicle-scrapping curve using vehicle sales data

$$S_{i,t} = 1 - e^{-e^{(a_i + b_i * t)}}$$



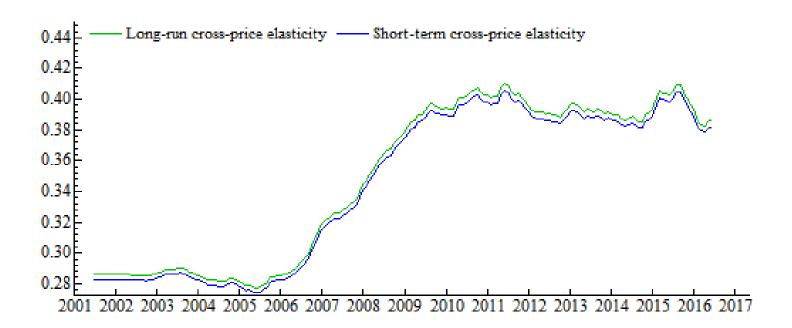


The results indicate that the UEDT and APRs are complementary given they are both retained in the preferred models

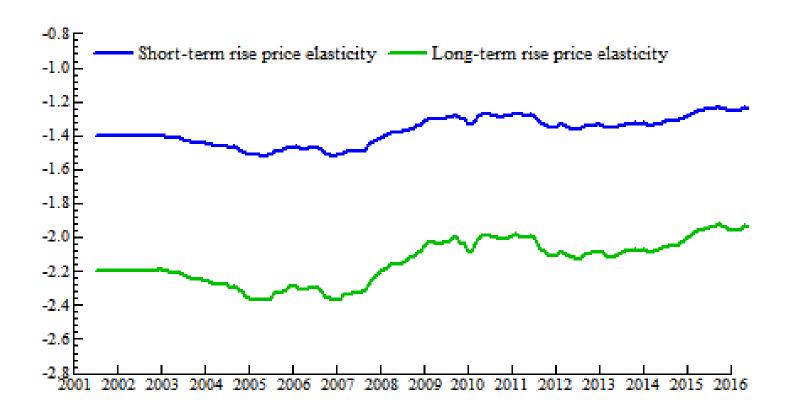
**UEDTs** are clearly non-linear

Long-term elasticity	Gasoline C
Y	0.58
$P_{g,rise}$	-0.70
$P_{g,cut}$	-0.53
$P_{e,rise}$	0.14
$P_{e,cut}$	0.34
Long-term elasticity	Ethanol
Y	1.77
$P_{e,rise}$	-2.25
$P_{e,cut}$	-1.34
$P_{g,rise}$	2.49
$P_{g,cut}$	0.84
Long-term elasticity	CNG
Y	0.32
$P_{CNG,rise}$	1.58
$P_{gnv,cut}$	0.0
$P_{g,rise}$	1.58
$P_{g,cut}$	0.67
$F_{CNG}$	0.60

#### Gasoline Demand



#### Ethanol Demand



### CONCLUSIONS

UEDT is an important extension to the more traditional methods used to model fuel demand elasticities

The inclusion of the UEDT, combined with APRs provided more detailed policy relevant information than models without such features



# **THANKS**

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